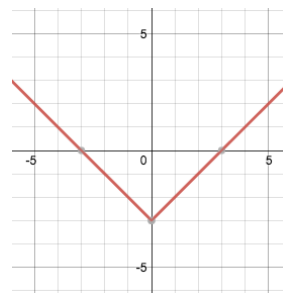


Graphing Absolute Value Functions Class Work

🦋 **Objective:** You will be able to graph absolute value functions.

★ **Example:**

Absolute value functions are always in the shape of a “V,” as pictured.



Each graph has a vertex and a slope for each of its sides.

The general form of an absolute value equation is: $f(x) = A|Bx+C|+D$

★ **Discover!** First, we are going to graph absolute value function using a table of values.

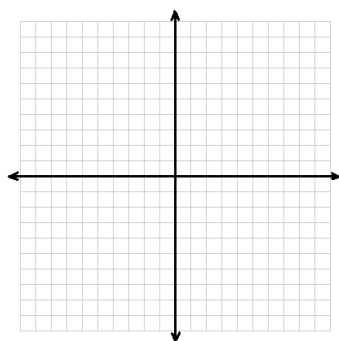
You will be able to discover a simpler way to identify the vertex for future problems! 😊

1. Complete the table of values to graph each function.

For each, record the vertex, as well as the values of B, C, and D.

$$f(x) = |x + 2| - 5$$

x	y
-3	
-2	
0	
2	

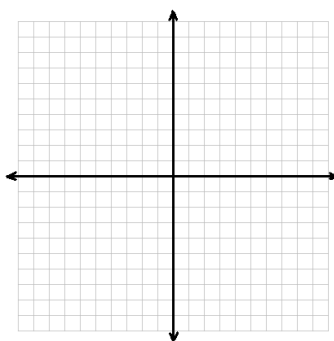


B = ____ C = ____ D = ____

Vertex:

$$f(x) = |2x + 6| + 4$$

x	y
-4	
-3	
0	
3	

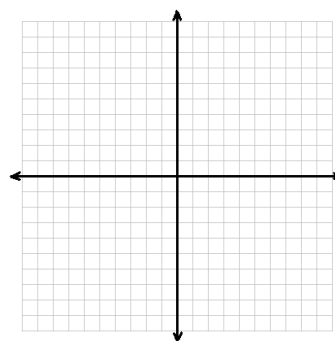


B = ____ C = ____ D = ____

Vertex:

$$f(x) = -|1/2x + 1| + 2$$

x	y
-3	
-2	
0	
2	



B = ____ C = ____ D = ____

Vertex:

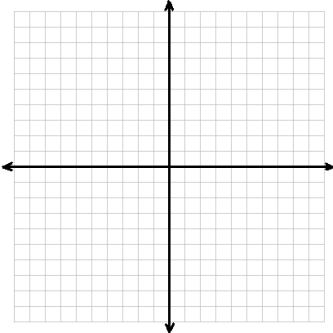
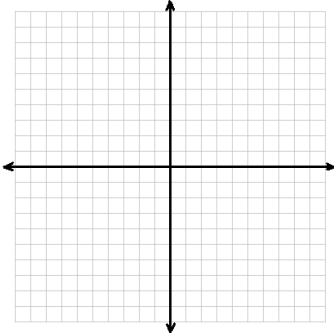
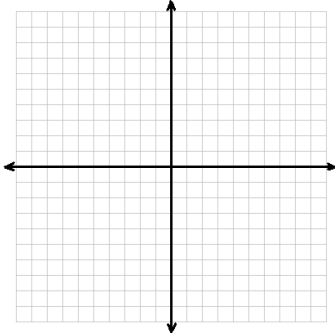
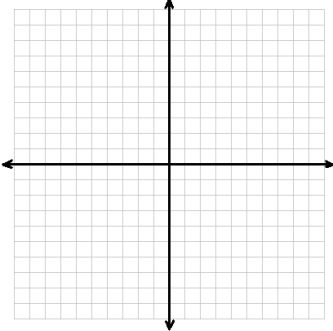
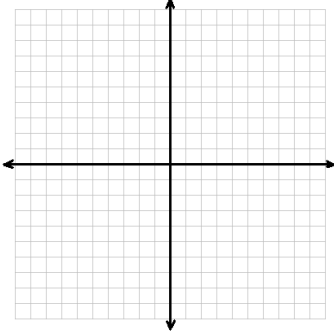
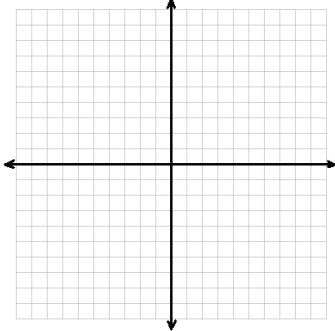
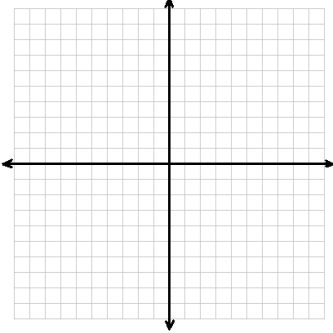
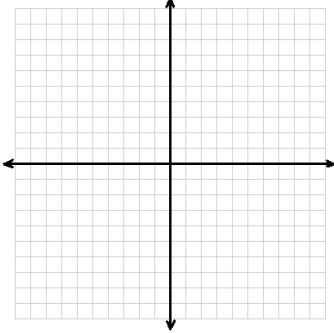
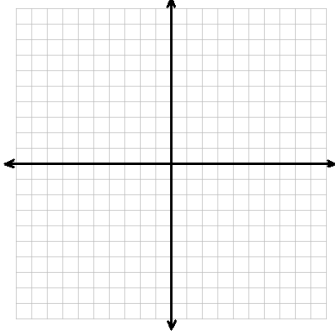
★ Do you notice any relationship between the values of B, C, D, and the vertex??

🌀 **Practice:** Graph each absolute value function.

Suggested Method:

First identify and plot the vertex $(-C/B, D)$.

Then choose a value for x , evaluate the function, and plot the point and its “mirror image.”

$f(x) = - x - 3$ 	$f(x) = \frac{1}{4}x + 1 + 2$ 	$f(x) = 2x - 4 - 1$ 
$f(x) = -x + 3 - 5$ 	$f(x) = 5x - 10 + 4$ 	$f(x) = - x - 3 $ 
$f(x) = .2x + 1 - 1$ 	$f(x) = - 3x - 7$ 	$f(x) = \frac{3}{4}x - 4 + 2$ 

***Write down any reminder for graphing
absolute value functions.***